

## Computing pied-piping

### 1 *Wh*-indefinites

Since we mentioned them, here are some examples of *wh*-indefinites in Tlingit that you might be less inclined to think involve fronting of a *wh*, with *sá* spelling out a C head.

- (1) **Tlingit *Wh*-indefinites** (Cable, 2010, reporting from literature sources)
- Ax x'agáax'i yéi yatee ch'a aadóoch **sá** yawudlaagí.  
my prayer thus it.is just who.ERG Q they.get.it  
'My prayer is that someone learn it.' (Dauenhauer&Dauenhauer 1990. p. 206)
  - Wé éexnax.á áwé, daa **sáyá** aya.áxch.  
that south.to.one FOC what Q.FOC he.heard.it  
'The [old man] to the south heard something.' (Nyman&Leer 1993, p. 10)
  - Wáa **sá** yatee [wé [l *goodéi* **sá** wugoodi] káa]?  
how Q he.is that not where.to Q he.went.REL man  
'How is the man who didn't go anywhere?'

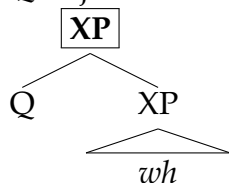
We see that *sá* can take another suffix, and when it's interpreted as a *wh*-indefinite it can stay inside an island (which is not possible for QPs that are interpreted as *wh*-phrases). However, this is not air-tight evidence. I couldn't find any examples of a *wh*-indefinite in a clear object position, or other structures that clearly show that *sá* has not fronted.

### 2 QP syntax redux

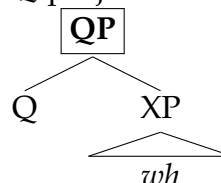
The syntax Cable assumes involves several parameters. First, a Q-particle may adjoin to a structure or it may project a QP layer.

- (2) **Possible QP structures in Cable (2010):**

(a) Q-adjunction:



(b) Q-projection:



The largest Q-bearing structure is targeted for interrogative agree/attract operations.

☞ If QP contains material other than *wh*, the result is “pied-piping.”

In some languages, pied-piping can be quite large and can including movement of entire islands. In English, pied-piping is much more limited.

(3) **Limited pied-piping languages (Cable, 2010, p. 147):**

If the Q-particle must Agree with the *wh*-word it c-commands, then a *wh*-word cannot be dominated in the sister of Q by islands or lexical categories. Thus limited pied-piping languages are those where Q/*wh*-Agreement must occur.

### 3 Kotek’s (2014) semantics for Q-theory

Kotek (2014) adopts Cable’s syntax for Q-theory, but proposes a different semantics. We will first look at this proposal, and then compare it with Cable’s original proposal.

Wh-words denote sets of individuals as their focus-semantic value. (This is also the analysis Cable gives to *wh*-words, and the one we have been assuming throughout the semester in class.)

(4) **The meaning of *wh* is a set of individuals:**<sup>1</sup>

$$\llbracket who \rrbracket^f = \{x \in D_e : x \text{ is human}\}$$

$$\llbracket which \text{ book} \rrbracket^f = \llbracket book \rrbracket^o = \{ \text{War \& Peace, Moby Dick, Oliver Twist, ...} \}$$

The interrogative complementizer, C hosts the interrogative probe, which triggers Q/QP-movement. In English, C has an EPP feature, which requires one QP must be pronounced in Spec,CP. C plays no role in the semantics of the question.

(5) **The semantics of the Complementizer:**

$$\llbracket C \rrbracket = \lambda P_\tau. P$$

Q-particles are the elements that drives interrogative semantics. A syncategorematic semantics for Q: Q takes a set of propositions (or a set of sets of propositions...) with a focus-semantic value and returns that as the ordinary semantic value of the question (cf. Beck and Kim’s (2006) semantics for C).

(6) **The semantics of the Q-particle:**

a.  $\llbracket Q \alpha_\sigma \rrbracket^o = \llbracket \alpha_\sigma \rrbracket^f$

b.  $\llbracket Q \alpha_\sigma \rrbracket^f = \{ \llbracket Q \alpha_\sigma \rrbracket^o \}$

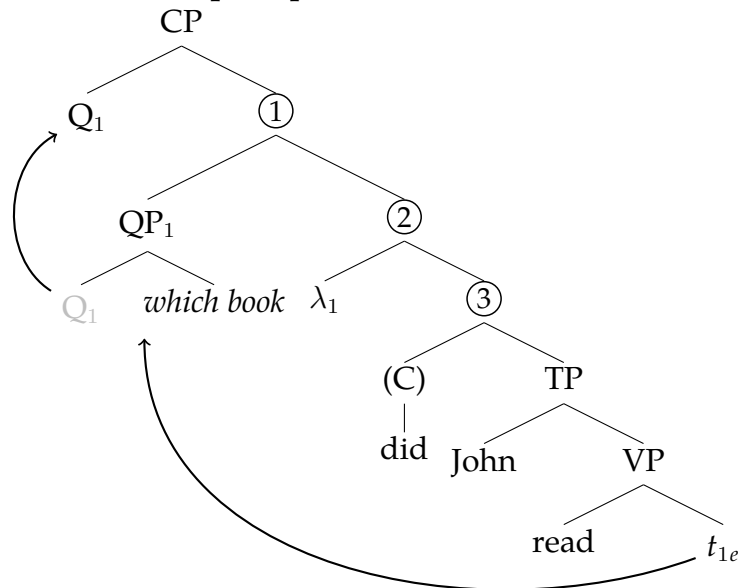
$$\sigma \in \{ \langle st, t \rangle, \langle \langle st, t \rangle, t \rangle, \dots \}$$

---

<sup>1</sup>With possible domain restriction, which we will ignore here.

☞ A simplex question: construct one QP, move it to Spec,CP to satisfy C's EPP feature.

(7) **The LF of a simplex question:**<sup>2</sup>



• Important to note:

- At node ③: *assignment dependent* set of propositions:  $\{\lambda w. \text{John read } x \text{ in } w\}$ .
- The meaning of node ② is  $\lambda x. \lambda w. \text{John read } x \text{ in } w$ .
- Once QP has finished moving, Q must move out of QP to resolve a type-mismatch.<sup>3</sup>
- The set denoted by *wh* point-wise composes with ②, so node ① denotes a set of propositions of the form  $\{\lambda w. \text{John read } x \text{ in } w : x \in \text{book}\}$ .
- $Q_1$  takes the focus-semantic value of node ① and returns it as the ordinary value of the question.

(8) **The derivation of a simplex question:**

- a.  $\llbracket \text{TP} \rrbracket^o = \lambda w. \text{John read } x \text{ in } w$
- b.  $\llbracket \text{③} \rrbracket^o = \llbracket \text{TP} \rrbracket = \lambda w. \text{John read } x \text{ in } w$
- c.  $\llbracket \text{②} \rrbracket^o = \lambda x. \lambda w. \text{John read } x \text{ in } w$
- d.  $\llbracket \text{QP}_1 \rrbracket^o$  is undefined ;  $\llbracket \text{QP}_1 \rrbracket^f = \{x_e : x \in \text{book}\}$
- e.  $\llbracket \text{①} \rrbracket^o$  is undefined ;  $\llbracket \text{①} \rrbracket^f = \{\lambda w. \text{John read } x \text{ in } w : x \in \text{book}\}$
- f.  $\llbracket \text{CP} \rrbracket^o = \llbracket \text{①} \rrbracket^f = \{\lambda w. \text{John read } x \text{ in } w : x \in \text{book}\}$   
 $= \lambda q_{\langle s,t \rangle} . \exists x \in \text{book} [q = \lambda w. \text{you read } x \text{ in } w]$

(9) **A set of possible answers to the question:**

{ John read Moby Dick, John read War & Peace, John read Oliver Twist, ... }

<sup>2</sup>Simplified tree, doesn't show successive-cyclic movement of QP, vP internal subject, etc.

<sup>3</sup>An alternative not pursued in Kotek (2014) is to allow for a pointwise functional application rule that operates on ordinary semantic values, and define Q for any type. In that case, we wouldn't need Q to move out of QP.

## 4 Pied-piping: movement and alternatives, combined

An important point worth stressing here is that the computation of pied-piping involves **both** movement and focus-alternatives computation.

- ☞ We merge Q with a *wh*-containing phrase, and front QP.
- ☞ Inside QP, *wh* projects focus alternatives that are only converted into ordinary values at the edge of QP.

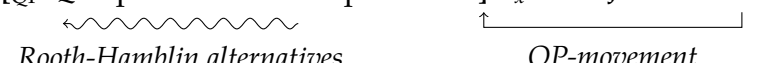
Consider a declarative sentence, (10):

- (10) **A declarative sentence with a complex object:**  
Jim owns a picture of John F. Kennedy.

We could ask three types of questions about the object, corresponding to different merge positions for Q.

- (11) **Different sizes of pied-piping correspond to different positions of Q-adjunction:**  
Base structure: Jim owns (Q) a picture (Q) of (Q) *which* president
- [<sub>QP</sub> Q *Which* president] does Jim own a picture of \_\_\_?
  - [<sub>QP</sub> Q Of *which* president] does Jim own a picture \_\_\_?
  - ? [<sub>QP</sub> Q A picture of *which* president] does Jim own \_\_\_?

In the derivation of a question like (11c), then, two processes occur: first, QP moves to the specifier of the interrogative complementizer, and second, inside QP, the *wh*-word itself is interpreted via Rooth-Hamblin alternative computation between *wh* and Q.

- (12) **Interpreting (11c) through both movement and alternative computation:**  
[<sub>QP</sub> Q A picture of *which* president]  $\lambda_x$  does Jim own *x*?
-   
Rooth-Hamblin alternatives                      QP-movement

Movement is sensitive to islands and other  $\bar{A}$ -movement diagnostics, while Rooth-Hamblin alternatives are not. We will see later in the class that there may be ways to diagnose the presence of alternatives inside the pied-piping constituent.

## 5 Cable's semantics for Q-theory

Lets return to Cable's original semantics for Q-theory.

The first assumption Cable makes is that *wh*-words denote sets of individuals as their focus semantic value (see (4)). Where Cable's system differs from Kotek's is in the semantics of Q and of the interrogative complementizer.

The Q-particle  $Q_i$  denotes a choice function, (13).

(13) **The semantics of Q (Cable, 2010):**

$$\llbracket Q_i \rrbracket = g(i) \in D_{cf}$$

A choice function is any function that takes a set as argument and returns a member of that set as its value.

(14) **Some choice functions:**

- a.  $f(\{\text{Dave, John, Larry, Phil}\}) = \text{Larry}$
- b.  $g(\{\text{the Bible, the phonebook, LSLT}\}) = \text{the Bible}$
- c.  $h(\{\text{Amherst, Boston, Natick, Worcester}\}) = \text{Worcester}$

$Q_i$  operates on the focus-semantic value of its sister XP, and returns one member of the set denoted by XP, (15).

(15) **The semantics of QP (Cable, 2010):**

$$\llbracket Q_i \text{ XP} \rrbracket = \llbracket Q_i \rrbracket(\llbracket \text{XP} \rrbracket^f)$$

So, a simple QP has the following denotation:

(16) **The denotation of QP**

$$\begin{aligned} \llbracket [_{QP} Q_i \text{ which book}] \rrbracket &= \\ \llbracket Q_i \rrbracket(\llbracket \text{which book} \rrbracket^f) &= \\ \llbracket Q_i \rrbracket(\{x \in D_e : x \text{ is a book}\}) &= \\ g(i)(\{x \in D_e : x \text{ is a book}\}) &= \\ g(\{\text{the Bible, the phonebook, LSLT, ...}\}) & \end{aligned}$$

Our goal is to derive the meaning of the question as a set of propositions:

(17) **The meaning of a question is the set of possible answers to the question**

- a. *Which* book did John read?
- b.  $\{\text{John read the Bible, John read the phonebook, John read LSLT, ...}\}$
- c.  $\lambda p . [ \exists x \in \text{book} . p = [ \text{John read } x ] ]$   
 $\approx$  "The set of propositions  $p$  s.t.  $p$  is the proposition *John read*  $x$  for  $x$  a book."

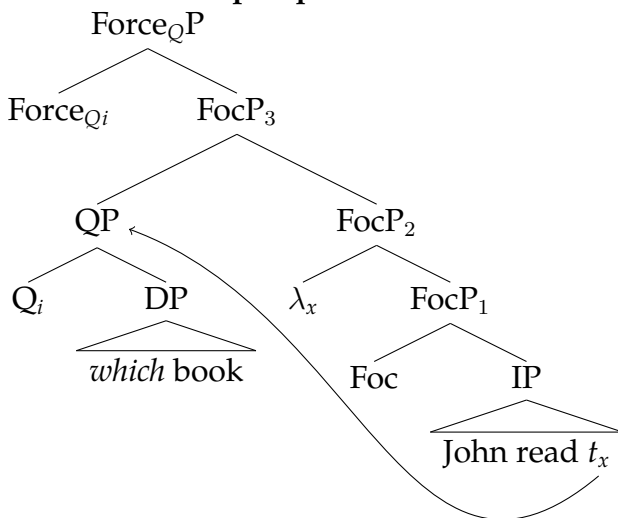
A note on the syntax: Cable works in a Rizzi (1997) cartographic approach. The operator that is responsible for question semantics here is Force. QPs move to a Focus projection immediately below Force.

Simplex *wh*-questions that contain just one QP are interpreted using the interrogative complementizer in (18): Force<sub>Q</sub> contributes exactly one existential quantifier to the meaning of the question, which binds the choice-function variable introduced by the Q-morpheme.

(18) **The semantics of simplex Force (Cable, 2010):**

$$\llbracket \text{Force}_{Q_i} \text{XP} \rrbracket^g = \lambda p [ \exists f. p = \llbracket \text{XP} \rrbracket^{g(i/f)} ]$$

(19) **The LF of a simple question**



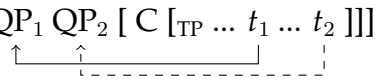
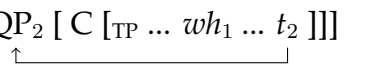
(20) **The interpretation of a simplex question (Cable, 2010, p. 94)**

- a.  $\llbracket \text{Force}_{Q_i} \text{P} \rrbracket =$
- b.  $\llbracket \text{Force}_{Q_i} \text{FocP}_3 \rrbracket =$  (FA)
- c.  $\lambda p [ \exists f. p = \llbracket \text{FocP}_3 \rrbracket^{g(i/f)} ] =$  (18)
- d.  $\lambda p [ \exists f. p = \llbracket \text{QP FocP}_2 \rrbracket^{g(i/f)} ] =$  (17)
- e.  $\lambda p [ \exists f. p = \llbracket \text{FocP}_2 \rrbracket^{g(i/f)} (\llbracket \text{QP} \rrbracket^{g(i/f)}) ] =$  (FA)
- f.  $\lambda p [ \exists f. p = \llbracket \text{FocP}_2 \rrbracket^{g(i/f)} (f(\{x \in D_e : x \text{ is a book}\})) ] =$  (4, 15)
- g.  $\lambda p [ \exists f. p = [ \lambda x. \text{John read } x ] (f(\{x \in D_e : x \text{ is a book}\})) ] =$  (FA)
- h.  $\lambda p [ \exists f. p = \text{John read } [f(\{x \in D_e : x \text{ is a book}\})] ] =$  (FA)

Force<sub>Q</sub> is a finicky creature: it's set up to deal with a structure with exactly one moved QP.

To deal with other syntactic structures, we will need additional Force heads. For example, for multiple questions with two *wh*-phrases, we might imagine that the in-situ *wh* moves covertly, or alternatively remains in-situ:

(21) **LF representations for multiple questions:**

- a.  $[_{CP} QP_1 QP_2 [ C [_{TP} \dots t_1 \dots t_2 ]]]$   

- b.  $[_{CP} QP_2 [ C [_{TP} \dots wh_1 \dots t_2 ]]]$   


These LFs would be interpreted by different Force heads.

(22) **Force<sub>Q2</sub> interprets structures with two moved QPs**

$$[[\text{Force}_{Q_2 i_j} \text{XP}]]^g = \lambda p [ \exists f. \exists h. p = [[\text{XP}]]^{g(i/f)(j/h)} ]$$

(23) **C<sub>Q+</sub> interprets structures with one moved QP and one in-situ wh:**

$$[[\text{C}_{Q+i} \text{XP}]]^g = \lambda p [ \exists f. \exists h. p = h ( [[\text{XP}]]^{F g(i/f)} ) ]$$

☞ Note: in (21) we see something we haven't seen before, but is possible in Cable's system: *wh* can remain in-situ without being merged with a Q-particle at all.

- A special Force head has to interpret each of these structures, and more would be necessary if we want to handle questions with three *whs* as well.
- The semantics for Q-theory given in Kotek (2014) doesn't have this problem: it can use the same Q defined for simplex questions for any type of multiple question syntax (for details on how multiple questions work, come to the syntax-semantics reading group on November 21!).

## References

- Beck, Sigrid. 2006. Intervention effects follow from focus interpretation. *Natural Language Semantics* 14:1–56.
- Beck, Sigrid, and Shin-Sook Kim. 2006. Intervention effects in alternative questions. *Journal of Comparative German Linguistics* 9:165–208.
- Cable, Seth. 2010. *The grammar of Q: Q-particles, wh-movement, and pied-piping*. Oxford University Press.
- Dayal, Veneeta. 1996. *Locality in wh quantification*. Kluwer Academic Publishers.
- Kotek, Hadas. 2014. Composing questions. Doctoral Dissertation, Massachusetts Institute of Technology.
- Pesetsky, David. 1987. *Wh-in-situ: movement and unselective binding*. In *The representation of (in)definiteness*. MIT Press.
- Rizzi, Luigi. 1997. The fine structure of the left periphery. In *Elements of grammar*, ed. Liliane Haegeman. Kluwer.
- Rullmann, Hotze, and Sigrid Beck. 1998a. Presupposition projection and the interpretation of *which*-questions. In *Proceedings of SALT 8*.
- Rullmann, Hotze, and Sigrid Beck. 1998b. Reconstruction and the interpretation of *which*-phrases. In *Proceedings of the 1997 Tübingen Workshop*, ed. G. Katz, S-S Kim, and H. Winhart.